

Names:

Grade	
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Astronomical Redshift

Pre-Lab Quiz:

Record you team's answer as well as your reasonings and explanations.

1.

2.

3.

4.

5.

Part 1: Measuring Rest Wavelengths

1. With the Hydrogen tube in the carousel, record the wavelengths of the emission lines, identify which Balmer line they are, and rank them (1 = strongest, 3 = weakest) based on their strength.

Wavelength λ_{rest} (nm)	Balmer Line	Relative Strength

2. Sketch the spectrum of Hydrogen and label the axes and the emission lines.

Part 2: Measuring Redshifted Wavelengths

As a class, you will each be responsible for a quasar. The Quasar data can be opened in LoggerPro, and is found under LabImage → Spectra → SDSS. Your instructor will assign you a quasar, and show you how to open the data in LoggerPro.

Using this data and Hubble's Law, you will determine the velocity and distance to the quasar, and then calculate a new Hubble's constant and the age of the Universe using a spectrum assigned to you.

1. Sketch the spectrum of the quasar and identify the emission lines. Include a plot title with the name of your quasar and label your axes. **Note:** The wavelengths are in Angstroms ($10 \text{ \AA} = 1 \text{ nm}$) and [OIII] lines are present.

2. Identify emission lines Balmer $H\alpha$, $H\beta$, and $H\gamma$, and [OIII] $\lambda\lambda$ 4959, 5007 in your spectrum and record their observed and rest wavelengths in the table below, and then calculate their redshift value z . Indicate the wavelength unit.

Emission Line	λ_{rest} (_____)	λ_{obs} (_____)	$\Delta\lambda = \lambda_{\text{obs}} - \lambda_{\text{rest}}$ (_____)	$z = \Delta\lambda / \lambda_{\text{rest}}$

3. What was the point of the exercise in Part 1?

4. Calculate the average redshift value of your quasar. Then find the velocity of the quasar in km / s using the formula $v = cz$, where $c = 3 \times 10^5$ km / s is the speed of light. **Note:** If any of the z -values are significantly different than the others, you probably misidentified an emission line.

5. In Logger Pro, make a plot of Hubble's law, $v = H_0 D$ with the distance (Mpc) on the x-axis and the velocity (km / s) on the y-axis using the quasar distance data from your TA and the quasar velocity data from all of the groups. Find the best-fit line. Sketch your plot here, label your axes, and record your value of the Hubble constant, which is the slope of the best-fit line.

6. Compare your experimental estimate of the Hubble constant with the actual known value, $H_0 = 70 \text{ km / s / Mpc}$ where $\text{Mpc} = 1 \text{ million pc}$, using the percent error formula.

7. With your value of the Hubble constant H_0 , compute the age of the universe (the "Hubble Time", $t = 1 / H_0$). To do this, take the number 1 and divide it by your value of the Hubble constant (find the reciprocal of H_0). Then multiply this new number by 978. This is the age of the Universe in billions of years. (As $1 \text{ pc / Myr} = 1 \text{ km / s}$, where $1 \text{ Myr} = 1 \text{ million years}$, 978 is the number of km in a Mpc divided by the number of seconds in a billion years.) What value did you obtain? How does this number compare with the known age of the Universe?